

> restart

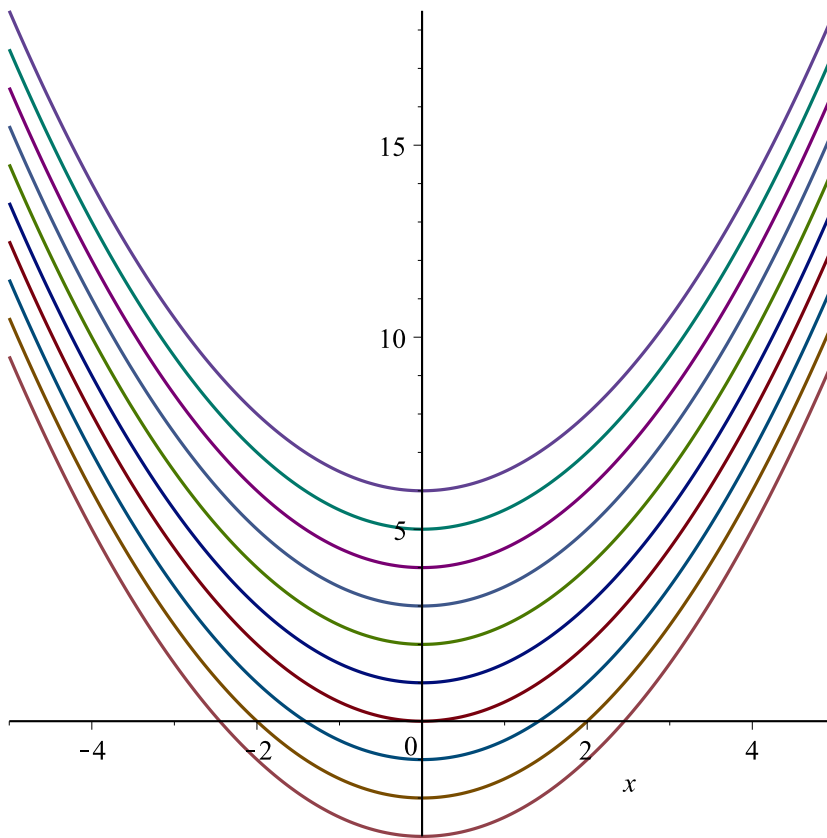
> Ecua := y'=x

$$Ecua := \frac{d}{dx} y(x) = x \quad (1)$$

> SolGral := dsolve(Ecua)

$$SolGral := y(x) = \frac{1}{2} x^2 + \_C1 \quad (2)$$

> plot([subs(\_C1=0, rhs(SolGral)), subs(\_C1=1, rhs(SolGral)), subs(\_C1=2, rhs(SolGral)), subs(\_C1=3, rhs(SolGral)), subs(\_C1=4, rhs(SolGral)), subs(\_C1=5, rhs(SolGral)), subs(\_C1=6, rhs(SolGral)), subs(\_C1=-1, rhs(SolGral)), subs(\_C1=-2, rhs(SolGral)), subs(\_C1=-3, rhs(SolGral))], x=-5..5)



> restart

> EcuaNoLineal := 2\*y\*(y'+2) - x\*(y')^2 = 0

$$EcuaNoLineal := 2 y(x) \left( \frac{d}{dx} y(x) + 2 \right) - x \left( \frac{d}{dx} y(x) \right)^2 = 0 \quad (3)$$

> Soluciones := dsolve(EcuaNoLineal)

(4)

$$\text{Soluciones} := y(x) = -4x, y(x) = 0, y(x) = \frac{1}{2} \frac{x(-x+2\_CI)^2}{\_CI^2 \left( -\frac{-x+2\_CI}{\_CI} + 2 \right)} \quad (4)$$

> Soluciones[1]; Soluciones[2]; simplify(Soluciones[3])

$$\begin{aligned} y(x) &= -4x \\ y(x) &= 0 \\ y(x) &= \frac{1}{2} \frac{(-x+2\_CI)^2}{\_CI} \end{aligned} \quad (5)$$

> SolucionGeneral := simplify(Soluciones[3])

$$\text{SolucionGeneral} := y(x) = \frac{1}{2} \frac{(-x+2\_CI)^2}{\_CI} \quad (6)$$

> SolucionParticular[1] := subs(\_CI = 10, SolucionGeneral)

$$\text{SolucionParticular}_1 := y(x) = \frac{1}{20} (-x+20)^2 \quad (7)$$

> SolucionParticular[2] := subs(\_CI = sqrt(2), SolucionGeneral)

$$\text{SolucionParticular}_2 := y(x) = \frac{1}{4} (-x+2\sqrt{2})^2 \sqrt{2} \quad (8)$$

> SolucionParticular[3] := subs(\_CI = 7/8, SolucionGeneral)

$$\text{SolucionParticular}_3 := y(x) = \frac{4}{7} \left( -x + \frac{7}{4} \right)^2 \quad (9)$$

> SolucionSingular[1] := Soluciones[1]

$$\text{SolucionSingular}_1 := y(x) = -4x \quad (10)$$

> SolucionSingular[2] := Soluciones[2]

$$\text{SolucionSingular}_2 := y(x) = 0 \quad (11)$$

> ParametroUno := solve(rhs(SolucionGeneral) = rhs(SolucionParticular[1]), \_CI)

$$\text{ParametroUno} := 10, \frac{1}{40} x^2 \quad (12)$$

> ParametroDos := solve(rhs(SolucionGeneral) = rhs(SolucionSingular[1]), \_CI)

$$\text{ParametroDos} := -\frac{1}{2} x, -\frac{1}{2} x \quad (13)$$

> ParametroTres := solve(rhs(SolucionGeneral) = rhs(SolucionParticular[3]), \_CI)

$$\text{ParametroTres} := \frac{7}{8}, \frac{2}{7} x^2 \quad (14)$$

> ParametroCuatro := solve(rhs(SolucionGeneral) = rhs(SolucionParticular[2]), \_CI)

$$\text{ParametroCuatro} := \frac{1}{8} \sqrt{2} x^2, \sqrt{2} \quad (15)$$

> ParametroCinco := solve(rhs(SolucionGeneral) = rhs(SolucionSingular[2]), \_CI)

$$\text{ParametroCinco} := \frac{1}{2} x, \frac{1}{2} x \quad (16)$$

> CompUno := simplify(eval(subs(y(x) = rhs(SolucionGeneral), EcuaNoLineal)))

$$\text{CompUno} := 0 = 0 \quad (17)$$

> CompDos := simplify(eval(subs(y(x) = rhs(SolucionParticular[2]), EcuaNoLineal)))

...

$$\text{CompDos} := 0 = 0 \quad (18)$$

$$\begin{aligned} &> \text{CompTres} := \text{simplify}(\text{eval}(\text{subs}(y(x) = \text{rhs}(\text{SolucionSingular}[1]), \text{EcuaNoLineal}))) \\ &\text{CompTres} := 0 = 0 \end{aligned} \quad (19)$$

$$\begin{aligned} &> \text{CompCuatro} := \text{simplify}(\text{eval}(\text{subs}(y(x) = \text{rhs}(\text{SolucionSingular}[2]), \text{EcuaNoLineal}))) \\ &\text{CompCuatro} := 0 = 0 \end{aligned} \quad (20)$$

$> \text{restart}$

$$> \text{Ecua} := y' = \frac{y}{x}$$

$$\text{Ecua} := \frac{d}{dx} y(x) = \frac{y(x)}{x} \quad (21)$$

$$> \text{SolGral} := \text{dsolve}(\text{Ecua})$$

$$\text{SolGral} := y(x) = \_C1 x \quad (22)$$

$$\begin{aligned} &> \text{plot}\left(\left[\text{subs}(\_C1 = 1, \text{rhs}(\text{SolGral})), \text{subs}(\_C1 = -1, \text{rhs}(\text{SolGral})), \text{subs}\left(\_C1 = \frac{1}{2}, \right.\right. \\ &\quad \left.\left.\text{rhs}(\text{SolGral})\right), \text{subs}\left(\_C1 = -\frac{1}{2}, \text{rhs}(\text{SolGral})\right), \text{subs}(\_C1 = 3, \text{rhs}(\text{SolGral})), \text{subs}(\_C1 = \right. \\ &\quad \left.\left.-3, \text{rhs}(\text{SolGral})\right)\right], x = -5 \dots 5) \end{aligned}$$

